## Slope Triangles Outside

Directions: As a team of 4 , you will be going outside to your coordinate plane and calculating slope. Each person will play one of the following 4 roles (and you will rotate each time).

- The Director will read the coordinates and oversee correct math for each problem and be responsible for recording the final slope.
- Point A will begin at the origin and holding a rope, run to the x coordinate of point A and then to the $y$-coordinate of point A.
- Point $B$ will begin at the origin, run to the $x$-coordinate of point $B$ and then to the $y$-coordinate of point B . Point B needs to hold the other side of the rope so that points A and B are connected.
- Once the two points are graphed and the rope is being held, the Director and Slope Runner need to call out if the slope is "positive" or "negative".
- The Slope Runner will start at the point the farthest to the left of the grid and then run straight up or down to match where point B is on the y -axis and then run right to reach point B. The Slope Runner needs to keep track of how far up or down and how far right he/she ran and then call out the slope when he/she arrives at point B.

Record the slope for each problem below AFTER the Slope Runner has completed his/her task. If the slope is NOT is simplest form (e.g., $\frac{4}{8}$, this can be written in simplest form as $\frac{1}{2}$ ).

| Problem <br> $\#$ | Point A | Point B | Predict: <br> positive or <br> negative slope? | Slope | Slope in <br> Simplest <br> Form |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 1. | $(1,4)$ | $(3,6)$ |  |  |  |
| 2. | $(-2,-4)$ | $(0,0)$ |  |  |  |
| 3. | $(1,1)$ | $(3,-5)$ |  |  |  |
| 4. | $(-2,-1)$ | $(3,0)$ |  |  |  |
| 5. | $(-3,5)$ | $(0,8)$ |  |  |  |
| 6. | $(4,0)$ | $(5,-2)$ |  |  |  |
| 7. | $(0,0)$ | $(1,5)$ |  |  |  |
| 8. | $(0,4)$ | $(2,-1)$ |  |  |  |

